| DEFENSIVE AND COMPETITIVE BIDDING |
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| OVERCALLS (Style: Responses: 1/2 Level; Reopening) |
| 1 level 8 - 17-. Change of suit NF. Jump to new suit=GI 12-14 P. |
| 2 level 11-17. Change of suit 1RF. Jump to new suit= GI 12-14 P. |
| 3level 13-17. Change of suit GF. Jump to new suit=splinter. |
| Overcalls and WJO when partner is a passed hand may be weaker. |
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| 15-18, Stayman / Jacoby |
| (1X) - P - (P) - 1NT = 11-14. |
| We use sys on over 1NT overcall |
| JUMP OVERCALLS (Style; Responses; Unusual NT) |
| Preempt. Style=Vul dependent. Treat as opening pre in response. |
| Reopen: Intermediate 13-15, 6+ cards. |
| DIRECT \& JUMP CUE BIDS (Style; Response; Reopen) |
| (1*/1 $\downarrow$ ) 2 = =Majors. (1M) 2M $=$ Michaels, OM +m . |
| After Michaels $3 \mathrm{~m} / 4 \mathrm{~m}$ by partner $=\mathrm{P} / \mathrm{C}$. higher levels $=$ natural. |
| $1 \mathrm{X}-(1 \mathrm{Y})-3 \wedge$ ask partner to bid 3NT. Promise a Y stopper. |
| VS. NT (vs. Strong/Weak; Reopening; PH) |
| Vs. strong (14+P) NT: X=» or $\downarrow \boldsymbol{\downarrow}, 2 \boldsymbol{\star}=$ or $\boldsymbol{\downarrow}+\boldsymbol{\wedge}, 2 \boldsymbol{\bullet}$ or $\boldsymbol{\wedge}+\boldsymbol{\omega}, 2 \boldsymbol{v}=\boldsymbol{\wedge}$ or minors, $2 \boldsymbol{\wedge}=\boldsymbol{\uparrow}+\boldsymbol{*}, 2 \mathrm{NT}=\boldsymbol{\bullet}+\boldsymbol{\omega}, 3 \mathrm{X}=$ Preempt. |
| Vs. weak (<14P) NT : X=13+ P, The rest as Vs. strong NT. |
| (1NT) - P - P - ? Two suits 4-4 Not Vul 5-4 Vul. |
| VS.PREEMTS (Doubles; Cue-bids; Jumps; NT Bids) |
| Standard. Cue=Michaels. $4 \mathrm{~m}=\mathrm{m}+\mathrm{M}$. |
| VS. ARTIFICIAL STRONG OPENINGS- i.e. 1* or 2* |
|  $1 \mathrm{NT}=\boldsymbol{\varphi}+2 \mathrm{X}=$ Natural. two suits are $5+4+\mathrm{P} / \mathrm{C}$ continuations. lowest NT is a strong ask. |
| (2*) ? - X=Majors, 2NT=minors. |
| ( $1 * / 2 *$ ) $\mathrm{P}(1 * / 2 *$ ) ? - X=Majors, $1 \mathrm{NT}=$ minors. |
| OVER OPPONENTS' TAKEOUT DOUBLE |
| Transfers. But if $1 \mathrm{X}(1 \wedge)$ then $1 \mathrm{NT}=$ natural. |




